

# Using Multi-angle Polarimetry to Derive $\chi$ factor and Improve BRDF Correction for PACE's OCI

*Xiaodong Zhang & Deric Gray*

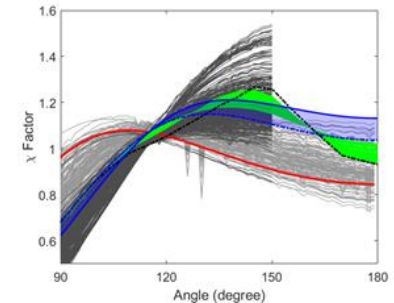
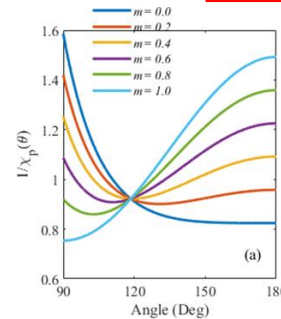
1. Based on Zaneveld (1995), He et al. (2017) derived that the angular variation of remote sensing reflectance (BRDF) depends on  $\chi$  factor.

$$r_{rs}(\theta_0, \theta, \varphi) =$$

$$\frac{1}{2\pi\bar{\mu}_d(\theta_0)g(\theta_0, \theta, \varphi)} \left( \frac{1}{\chi_w(\gamma_m)} \frac{b_{bw}}{b_b} + \frac{1}{\chi_p(\gamma_m)} \frac{b_{bp}}{b_b} \right) \frac{b_b}{a + b_b}$$

$$\frac{1}{\chi_p(\gamma)} = m \frac{1}{\chi_s(\gamma)} + (1-m) \frac{1}{\chi_L(\gamma)}$$

3. 90% of natural variability of  $\chi_p$  can be accounted for by two end members, corresponding to extremely small and large particles (Zhang et al. 2017).



2. Natural  $\chi_p$  varies significantly (Xiong et al. 2017)

4. One pixel and  $\lambda$ , 3 unknowns  $a(\lambda)$ ,  $b_{bp}(\lambda)$ , and  $m$  vs. 5(SPEXone) or 10(HARP2)  $r_{rs}(\lambda; \theta_0, \theta, \varphi)$ ,  $m$  and hence  $\chi_p$  can be solved. The estimated  $\chi_p$  from MAP can then be used to estimate BRDF for OCI at its own viewing geometry